

Colored Resonances at Tevatron:

*Phenomenology and Discovery Potential
in Multi-jets*

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ArXiv:0802.2568

with C. Kilic and R. Sundrum

Energy Frontier in Particle Physics

Tevatron

currently running



Large Hadron Collider (LHC)

Coming Very Soon!



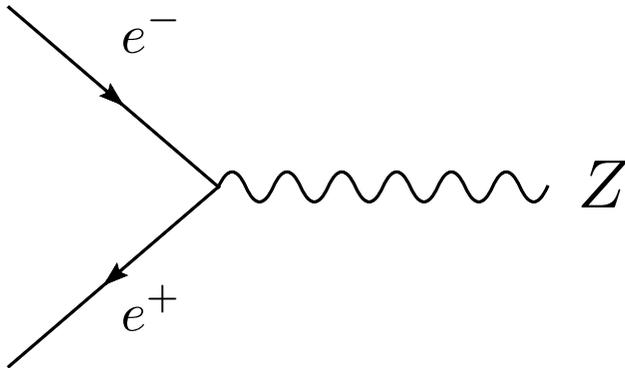
These are *hadron* colliders, while

LEP (e^+e^-)

HERA ($e-p$)

- e^+e^- machines

Good for exploring
electroweak physics



- $e-p$ machines

Parton distributions

Lepto-quarks

- Hadron machines

Good for *producing*
colored stuff,

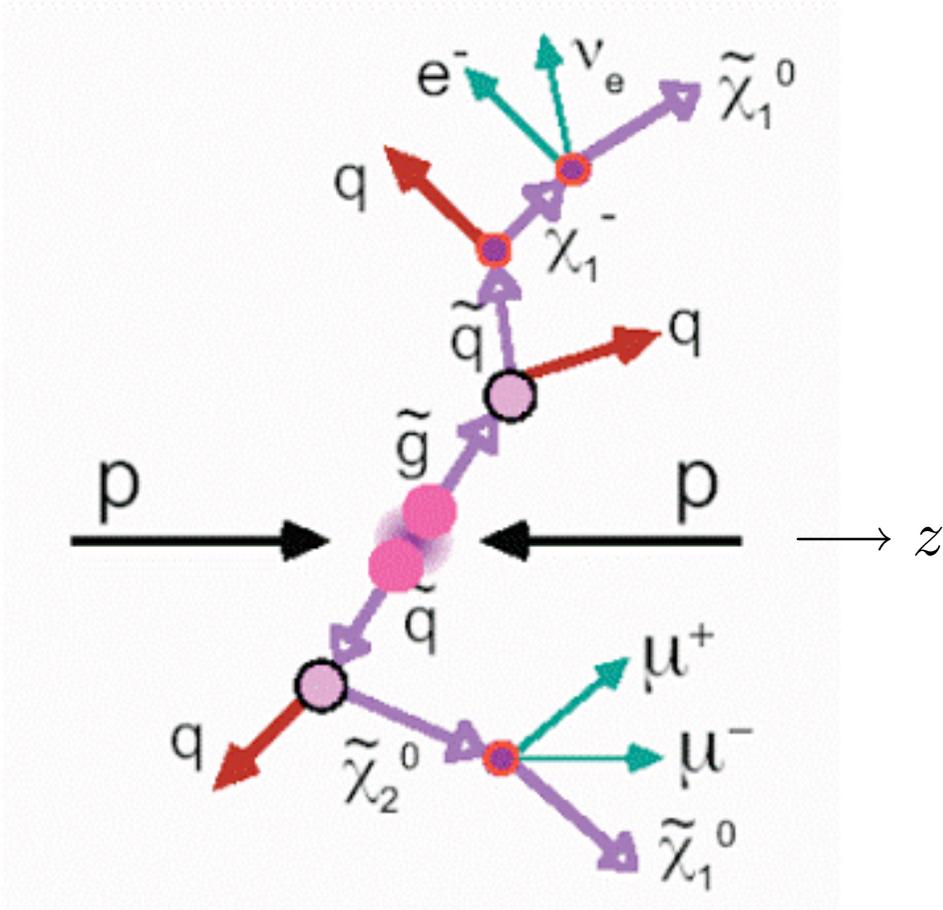
but *not* good for *studying*
colored stuff...

So, we usually hope for distinctive final *objects*:

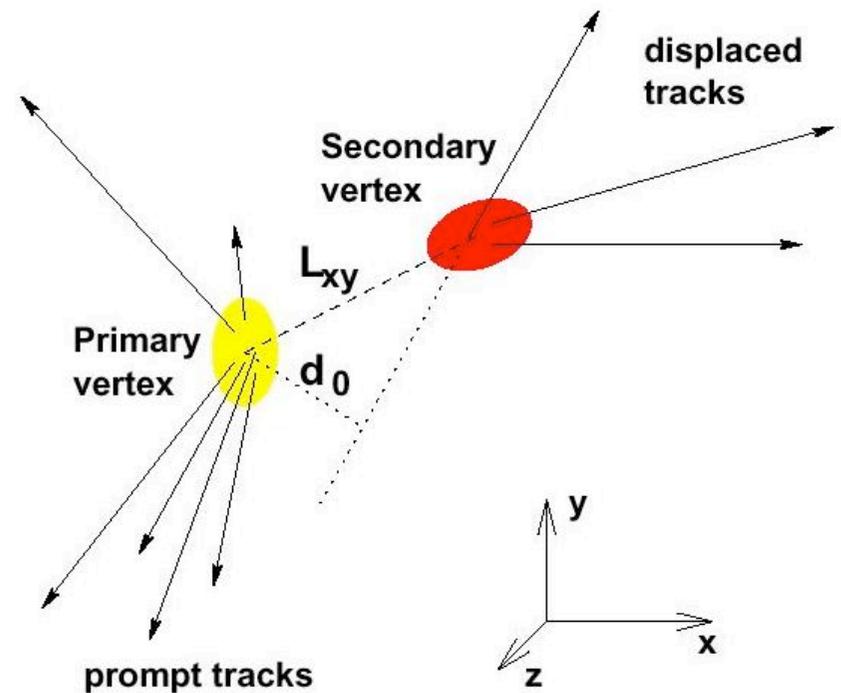
leptons, photons,

missing $p_T \equiv \sqrt{p_x^2 + p_y^2}$

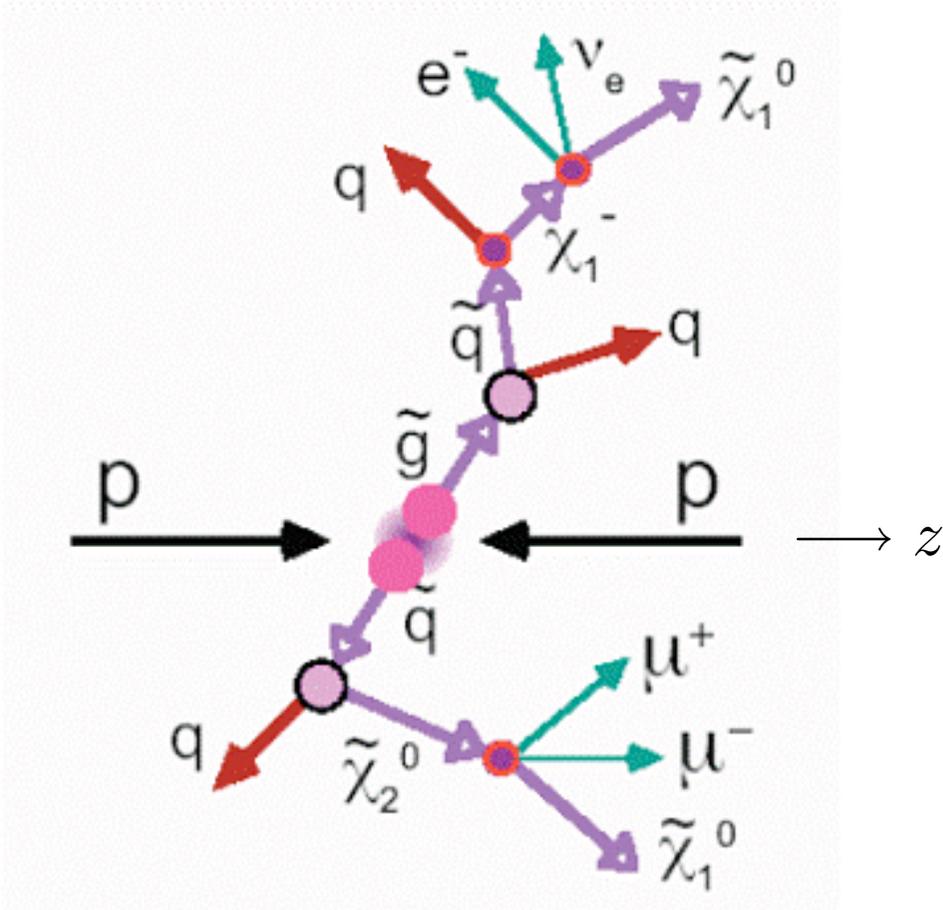
displaced vertices



Typical SUSY cascade

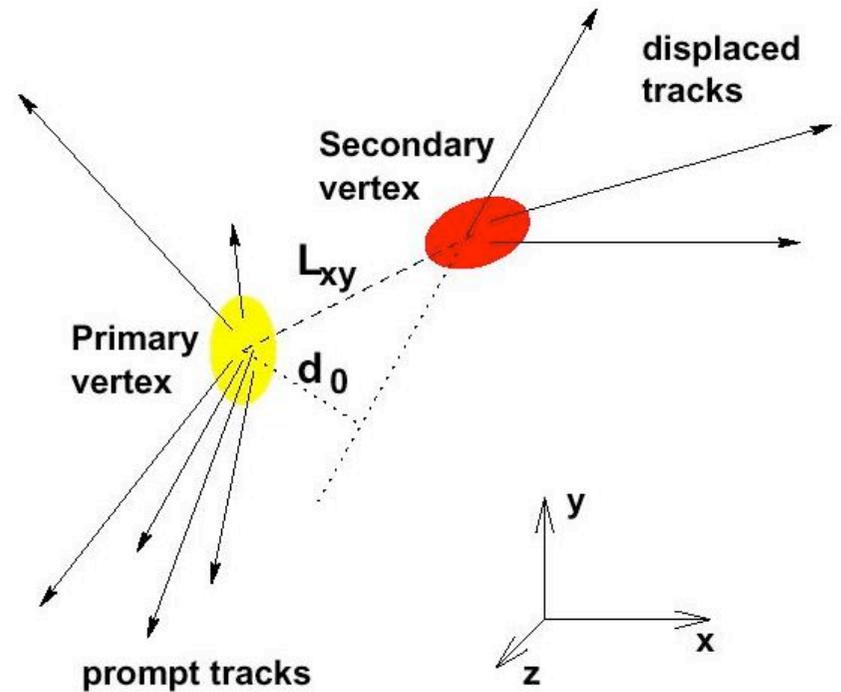


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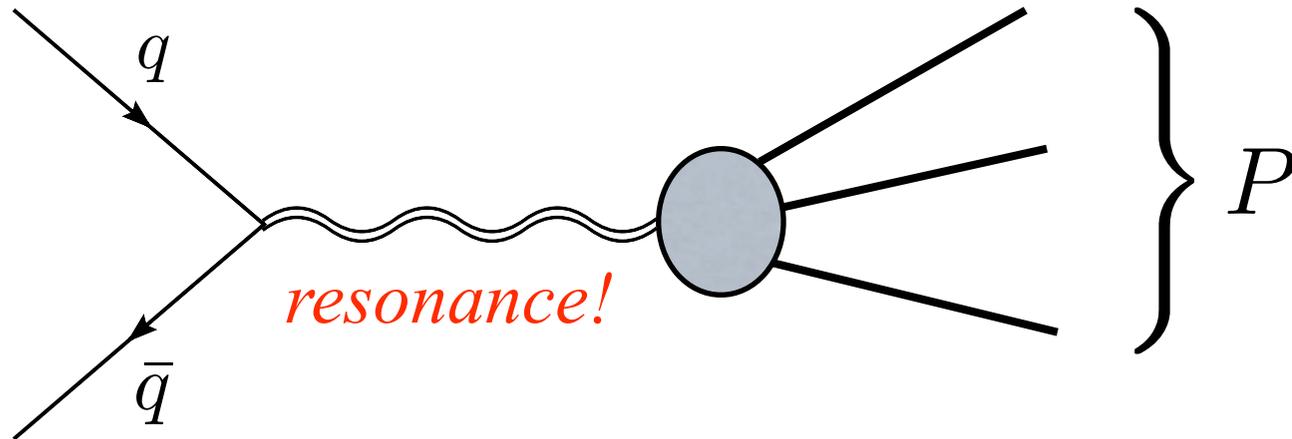
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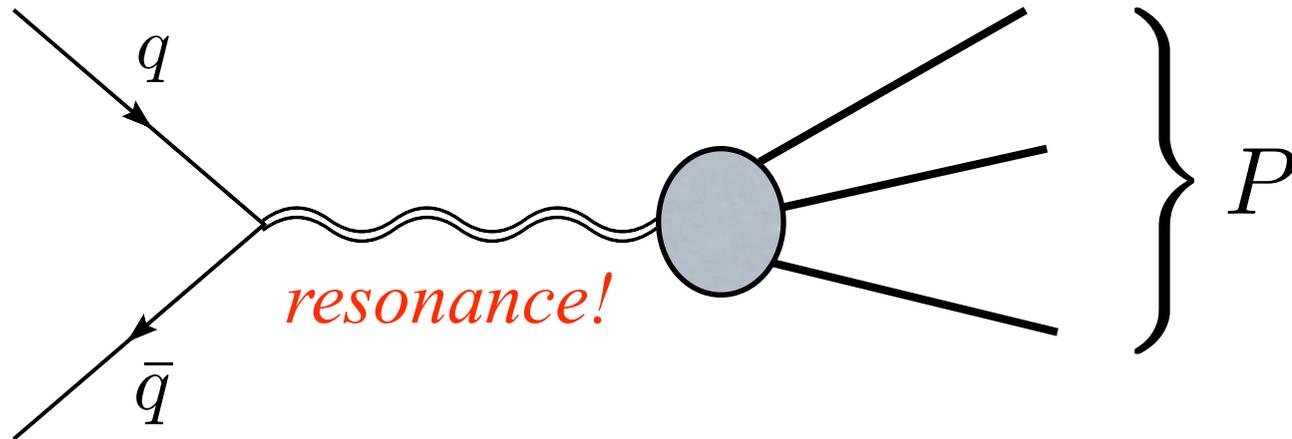
Is it hopeless w/o distinctive objects?

Not necessarily! Here's an alternative:



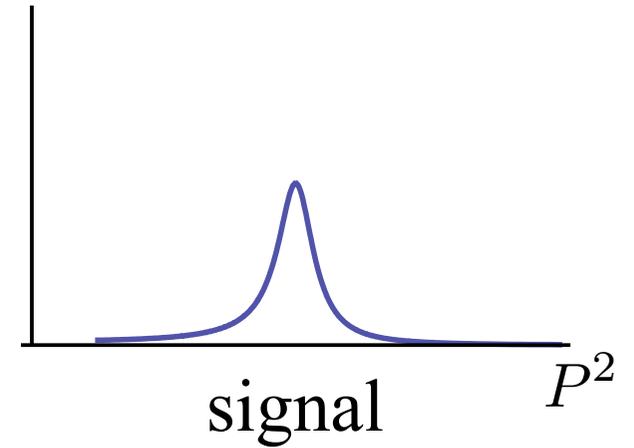
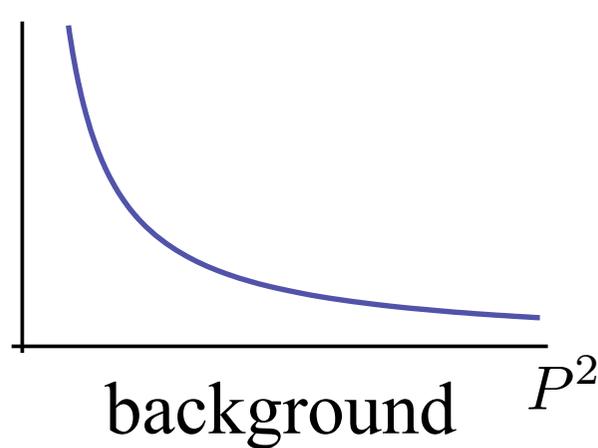
- ***HUGE*** production cross section! vs typical QCD pair-production cross section

Not necessarily! Here's an alternative:



- **HUGE** production cross section! vs typical QCD pair-production cross section

- Distinct *shape* in distribution vs distinctive objects



Maybe possible to pick out!

It takes no theorists' effort to have such a thing.

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{\psi}i\not{D}\psi - \frac{1}{4}H_{\mu\nu}H^{\mu\nu}$$

a new **confining** force
“*hyper-color*”

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$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{\psi}i\not{D}\psi - \frac{1}{4}H_{\mu\nu}H^{\mu\nu}$$

a new fermion
colored & hyper-colored
“hyper-quarks”

a new **confining** force
“hyper-color”

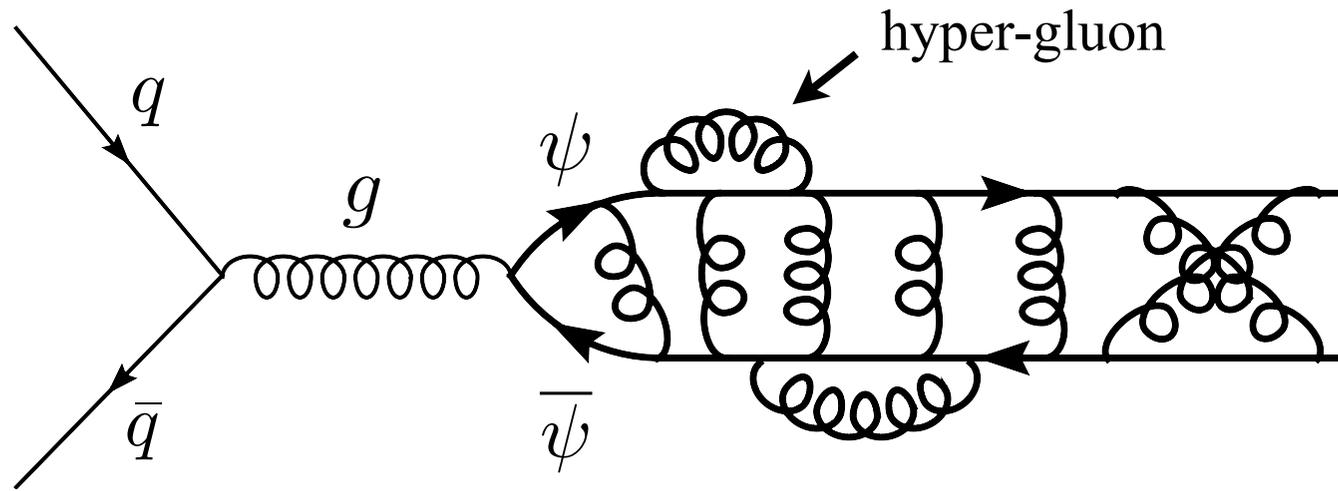
That's it!

Very simple!

Can easily be a part of a bigger model. (Like Z' .)

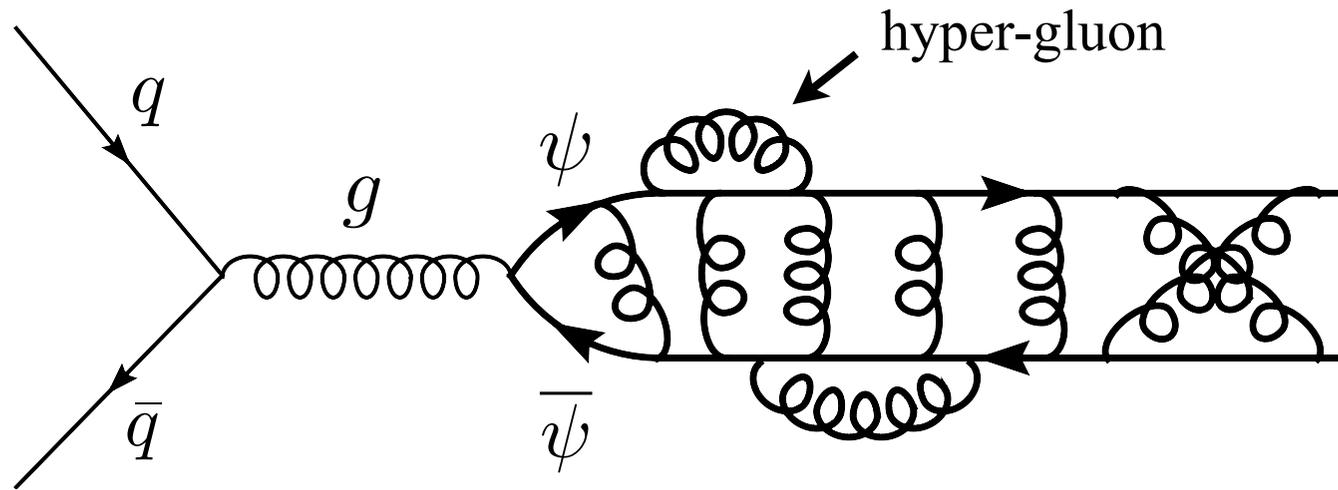
(e.g. KK gluon, top color, non-minimal technicolor, ...)

Now, this **must** happen:



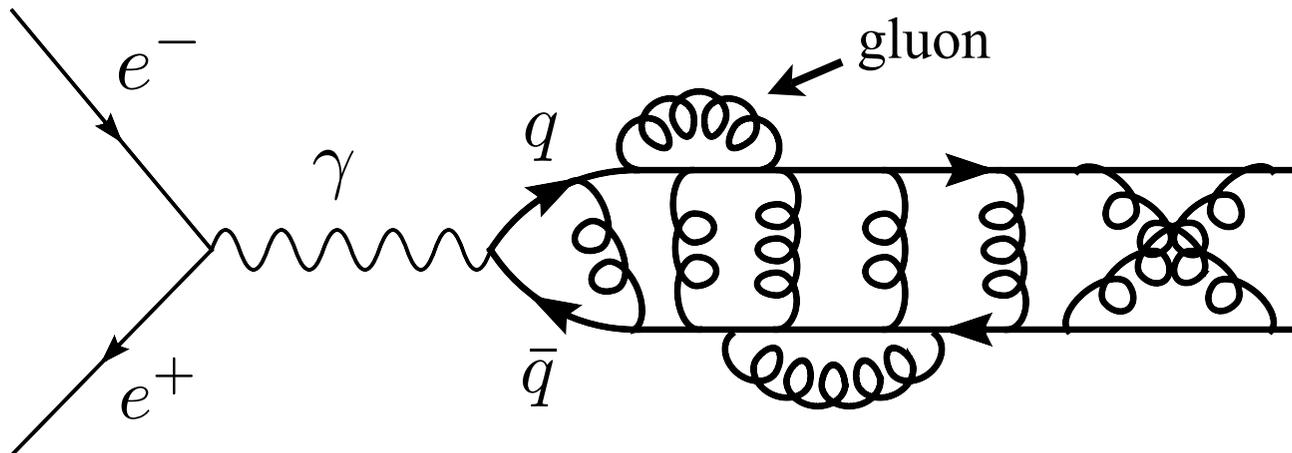
“coloron” $\tilde{\rho}$
spin-1
color octet

Now, this **must** happen:



“coloron” $\tilde{\rho}$
spin-1
color octet

Nature has already done this trick once:



ρ meson
spin-1
electrically neutral

What is the coloron mass scale?

Hyper-sector has $\left\{ \begin{array}{l} \text{no connection to electroweak sector} \\ \text{no connection to flavor physics} \end{array} \right.$

\implies Not constrained by EW precision or flavor physics data!

\implies Coloron can be light, *within Tevatron reach!*

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vs typical story:

New phys “tagged” by EW processes, heavy flavor, etc.

\implies Constrained by EW precision, flavor phys.

\implies New physics must be heavy or “well hidden”

\implies Out of Tevatron reach. Wait for LHC...

Summary so far

- * A coloron (spin-1 color-octets) can appear quite naturally in physics beyond the standard model
- * Colorons are resonantly produced at hadron colliders
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Outline for the rest

- (1) A representative model of coloron
- (2) Constraints on the representative model
- (3) Discovery Potential at the Tevatron

A Representative Model

Microscopic Lagrangian:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{\psi}i\not{D}\psi - \frac{1}{4}H_{\mu\nu}H^{\mu\nu}$$

with **three** hyper-colors



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Can use QCD as an “analog computer”!

QCD	Hyper-sector
$SU(3)_{\text{col}}$	$SU(3)_{\text{hyp-col}}$
quarks	hyper-quarks
$SU(3)_{\text{iso}}$	$SU(3)_{\text{iso}}$

[Neglect (hyper-)quark masses & weak interactions]

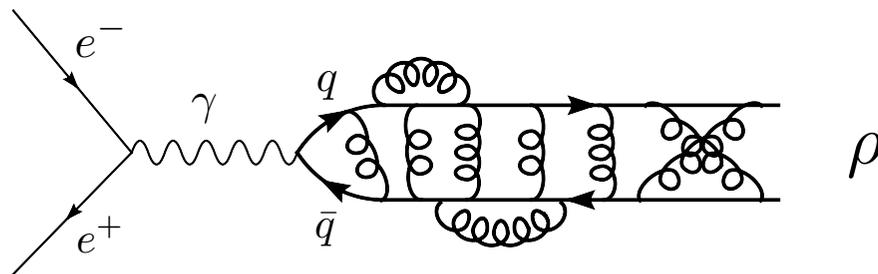
Recall in QCD,

$SU(3)_{\text{iso}} \supset 8$ charges acting on $\begin{pmatrix} u \\ d \\ s \end{pmatrix}$

One linear combination is electric charge:

$$Q = T^3 + T^8/\sqrt{3} = \begin{pmatrix} 2/3 & 0 & 0 \\ 0 & -1/3 & 0 \\ 0 & 0 & -1/3 \end{pmatrix}$$

which couples to photon:



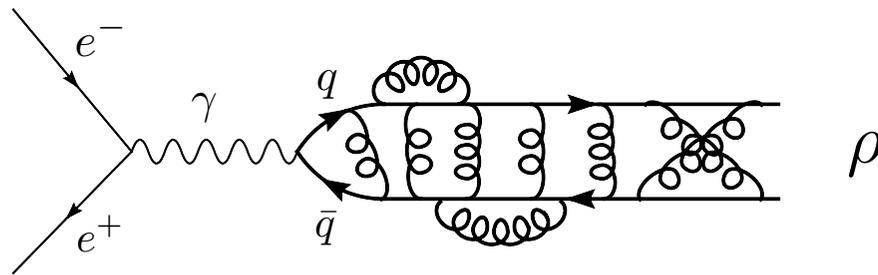
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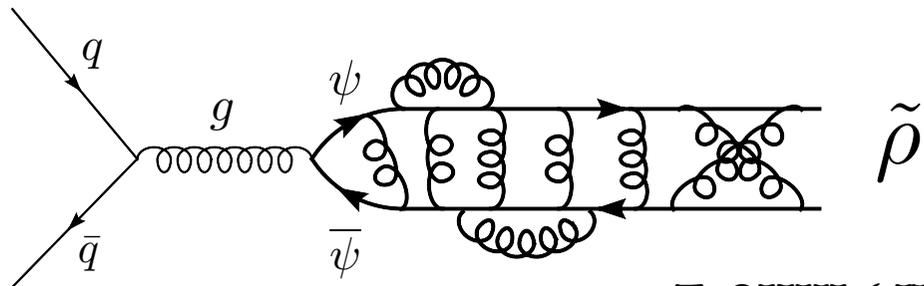
which couples to photon:



In our scenario,

we couple *all* $SU(3)_{\text{iso}}$ currents to gluons.

$$SU(3)_{\text{iso}} = SU(3)_{\text{col}}$$

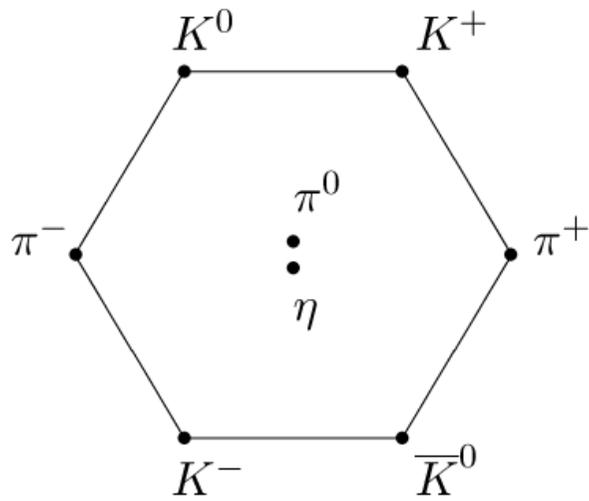


So we have

QCD	Hyper-sector
$SU(3)_{\text{col}}$	$SU(3)_{\text{hyp-col}}$
quarks	hyper-quarks
$SU(3)_{\text{iso}}$	$SU(3)_{\text{iso}}$
$\text{QED} \subset SU(3)_{\text{iso}}$	$\text{QCD} = SU(3)_{\text{iso}}$
photon	gluon
ρ meson	coloron $\tilde{\rho}$
$e^+ e^- \rightarrow \rho$	$q\bar{q} \rightarrow \tilde{\rho}$

How does a coloron decay?

QCD



$SU(3)_{\text{iso}}$ octet

$\rho \rightarrow \pi\pi$
nearly 100%

Hyper-sector

A “hyper-pion” $\tilde{\pi}$
in $SU(3)_{\text{col}}$ octet!

$\tilde{\rho} \rightarrow \tilde{\pi}\tilde{\pi}$
nearly 100%

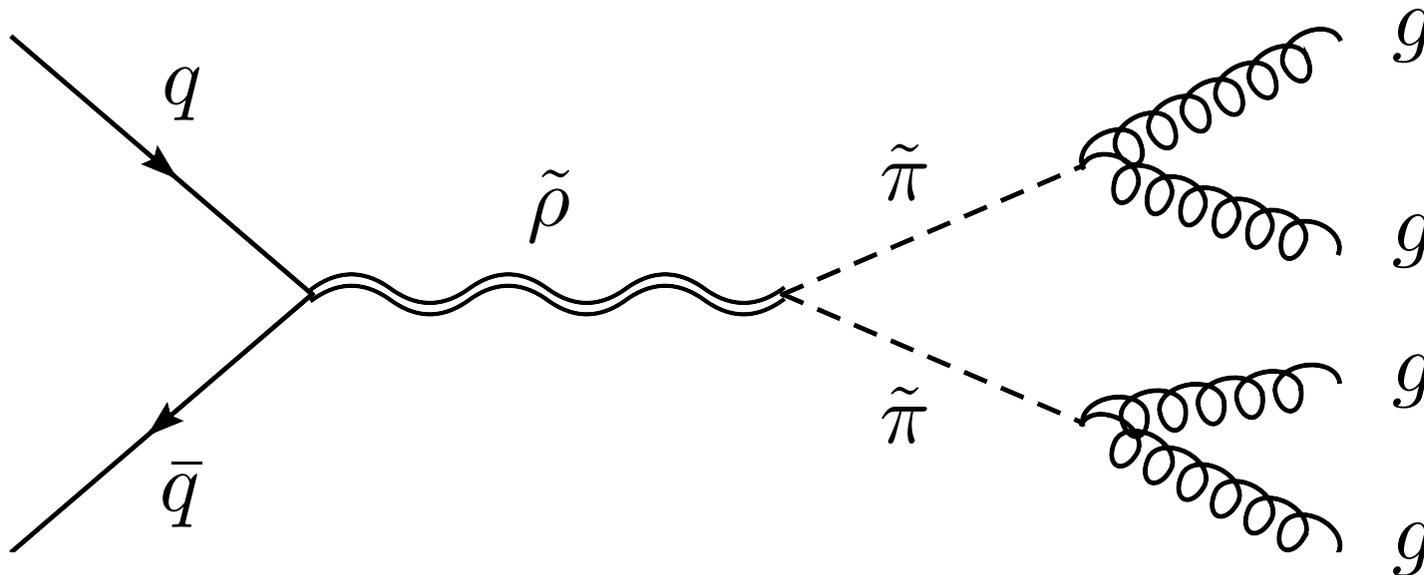
How does a $\tilde{\pi}$ decay?

QCD	Hyper-sector
$\pi \rightarrow \gamma\gamma$ nearly 100%	$\tilde{\pi} \rightarrow gg$ nearly 100%

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QCD	Hyper-sector
$\pi \rightarrow \gamma\gamma$ nearly 100%	$\tilde{\pi} \rightarrow gg$ nearly 100%

Therefore, **this is the dominant process:**



Let's analog-compute parameters!

First, change the overall scale

$$m_\rho \longrightarrow m_{\tilde{\rho}}$$

Then,

$$(a) \quad m_{\pi^\pm}^2 - m_{\pi^0}^2 \implies m_{\tilde{\pi}}^2$$

$$(b) \quad \Gamma_{\rho \rightarrow e^+ e^-} \implies \tilde{\rho}\text{-}q\text{-}\bar{q} \text{ coupling}$$

$$(c) \quad \Gamma_{\rho \rightarrow \pi\pi} \implies \tilde{\rho}\text{-}\tilde{\pi}\text{-}\tilde{\pi} \text{ coupling}$$

$$(d) \quad \Gamma_{\pi \rightarrow \gamma\gamma} \implies \tilde{\pi}\text{-}g\text{-}g \text{ coupling}$$

(a) Recall **in QCD**,

$$m_{\pi^\pm}^2 - m_{\pi^0}^2 \sim \text{---} \pi \text{---} \overset{\gamma}{\text{---}} \text{---} \pi \text{---} \sim \frac{e^2}{16\pi^2} \Lambda^2$$

($\Lambda \sim m_\rho$)

(Nature's solution to "hierarchy problem"!)

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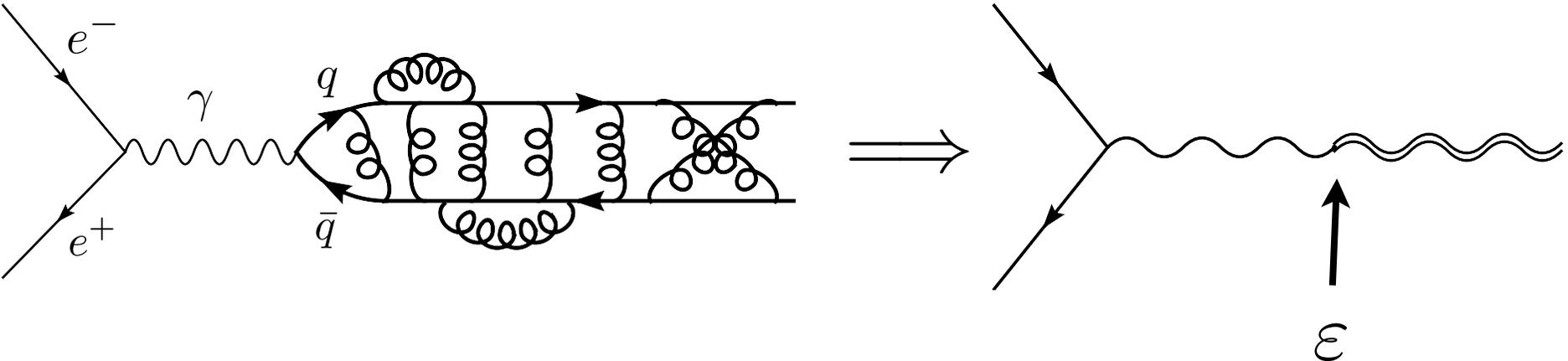
(Nature's solution to "hierarchy problem"!)

So, **in our model**,

$$m_{\tilde{\pi}}^2 \sim \frac{3g_3^2}{16\pi^2} m_{\tilde{\rho}}^2$$

Chiral perturbation theory $\implies m_{\tilde{\pi}} \simeq 0.3m_{\tilde{\rho}}$

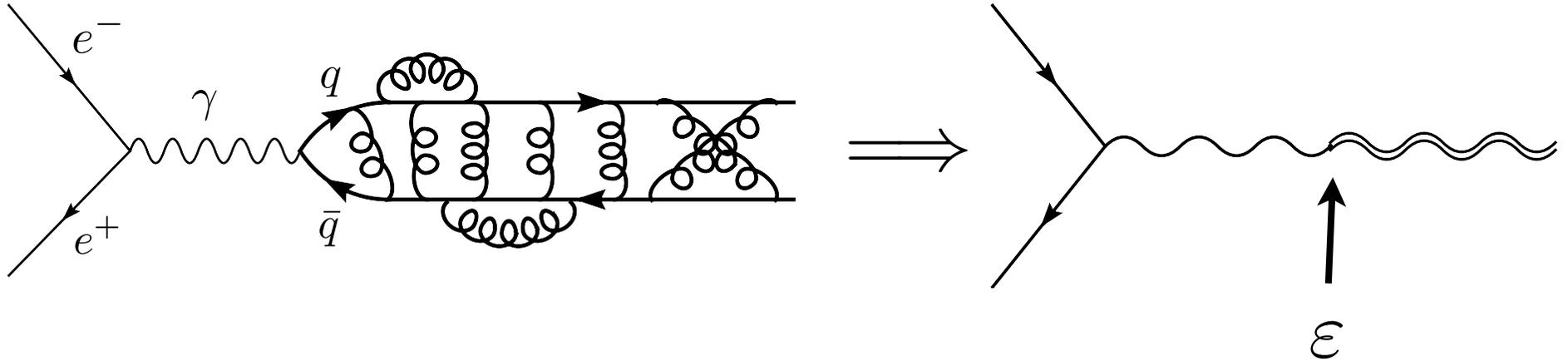
(b) Recall in QCD,



where

$$\Gamma_{\rho \rightarrow e^+ e^-} \Rightarrow \epsilon \simeq 0.06$$

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where

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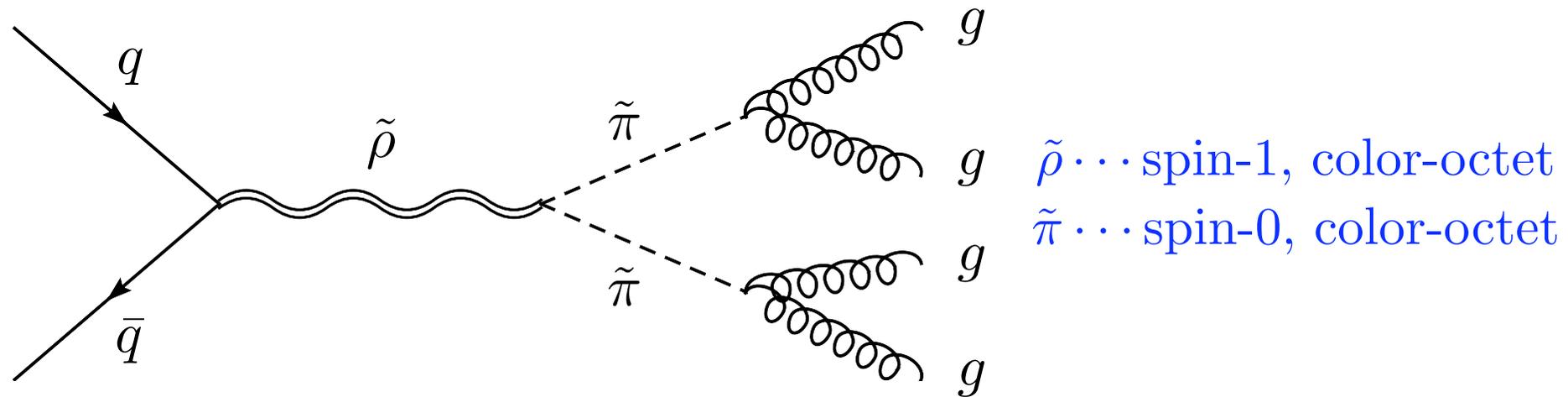
This translates to

$$\tilde{\epsilon} = \frac{g_3}{e} \epsilon \simeq 0.2$$

Summary of the Representative Model

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \bar{\psi} i \not{D} \psi - \frac{1}{4} H_{\mu\nu} H^{\mu\nu}$$

A hyper-quark (3 colors & 3 hyper-colors)



- Simplest model of coloron!
- Can extrapolate relevant parameters from QCD.
- Only one parameter $m_{\tilde{\rho}}$ to vary.

Constraints on the Representative Model

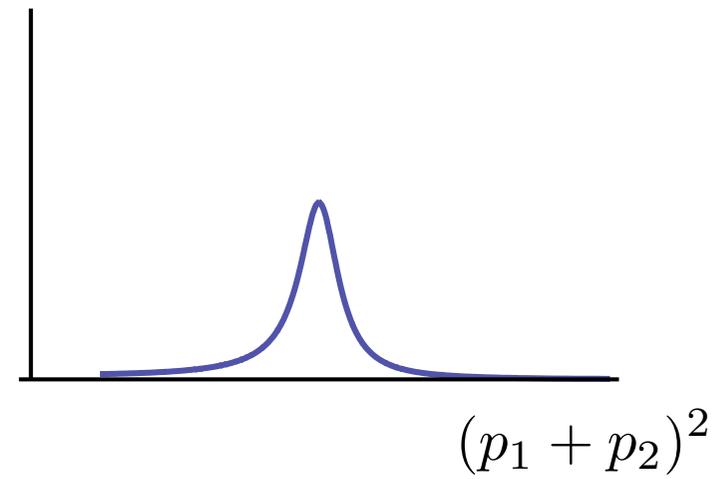
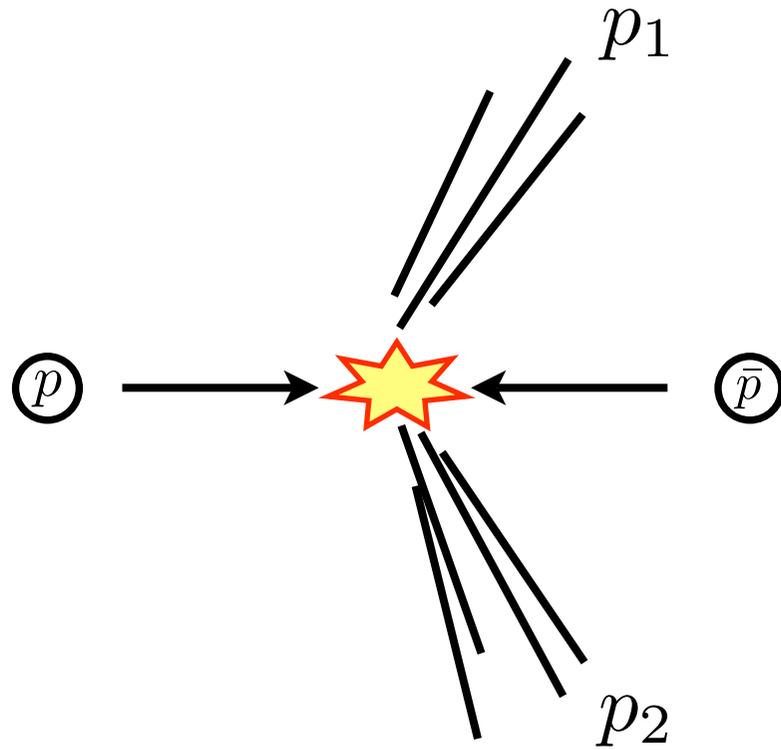
- Resonance searches in di-jets
- Resonance searches in $t\text{-}\bar{t}$ pairs
- Pair production of $\tilde{\pi}$
- Multi-jet studies
- Electroweak precision, flavor constraints
- Long-lived gluino search

No Constraints on the Representative Model

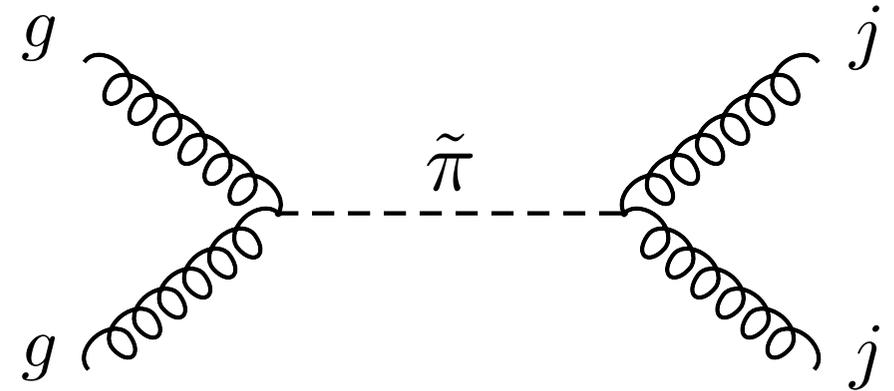
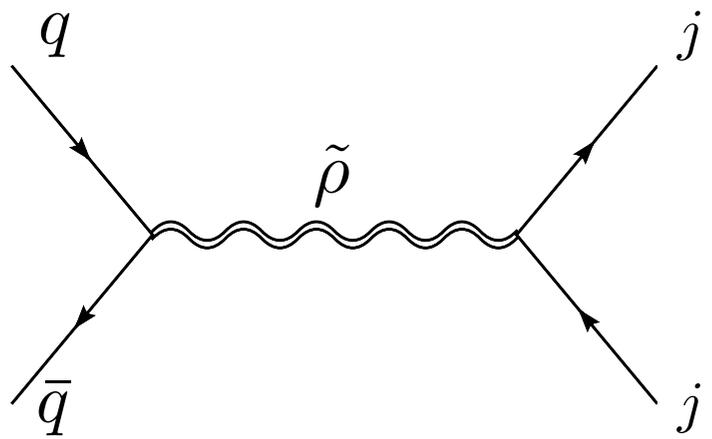
This simplest model of coloron escapes all existing bounds!

- Resonance searches in di-jets
- Resonance searches in $t\text{-}\bar{t}$ pairs
- Pair production of $\tilde{\pi}$
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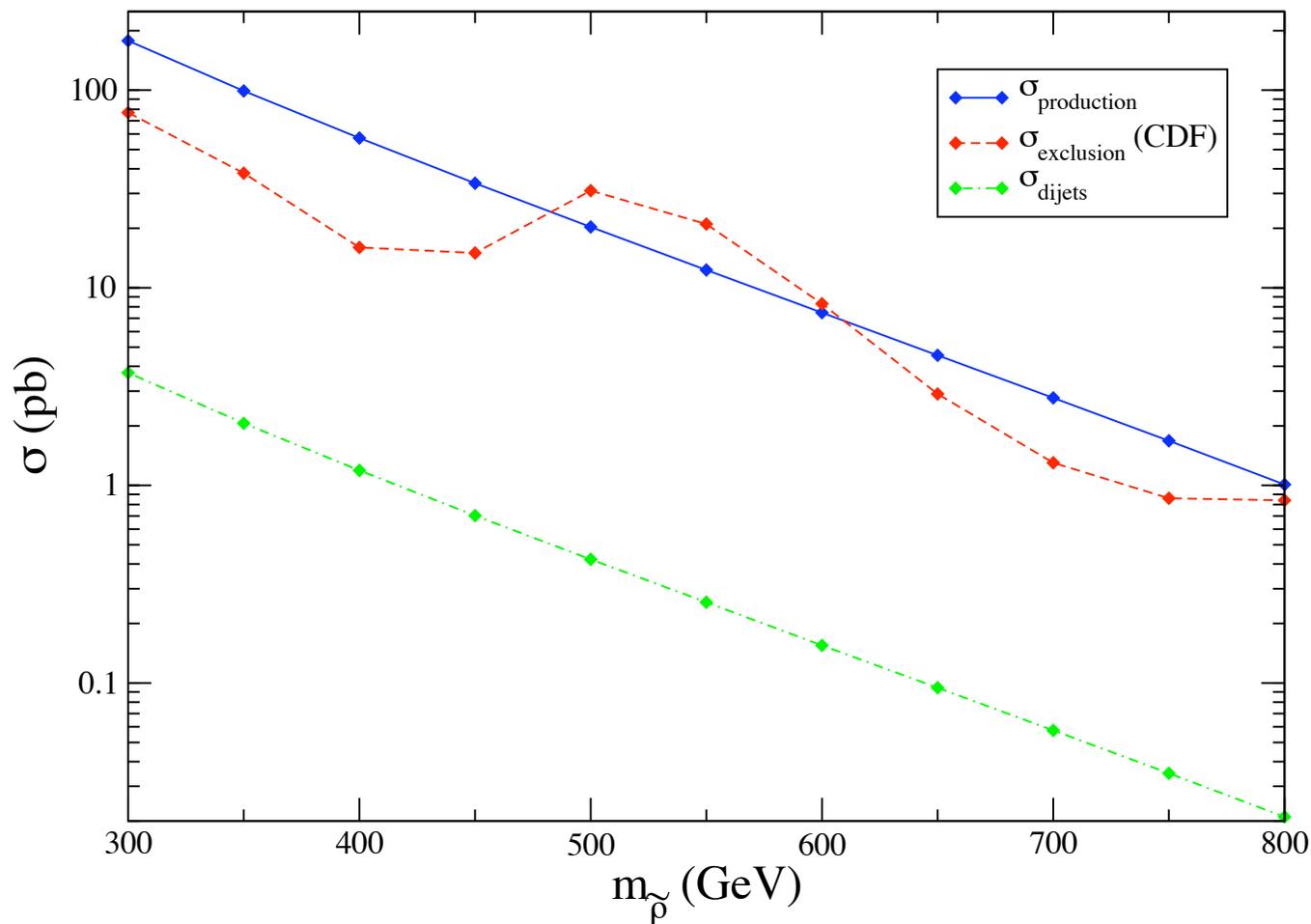
Resonance searches in di-jets



Potentially constrains

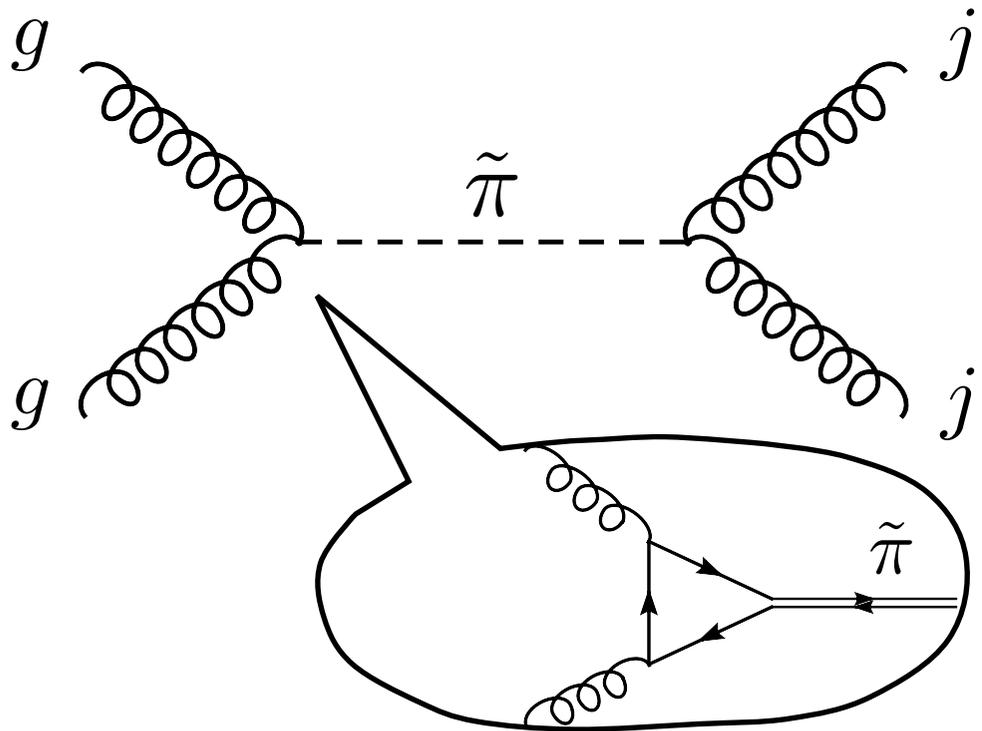


Tevatron Run-I



- Dominance of $\tilde{\rho} \rightarrow \tilde{\pi}\tilde{\pi}$ crucial!
- Our “scenario” robust!

Resonant $\tilde{\pi}$ production



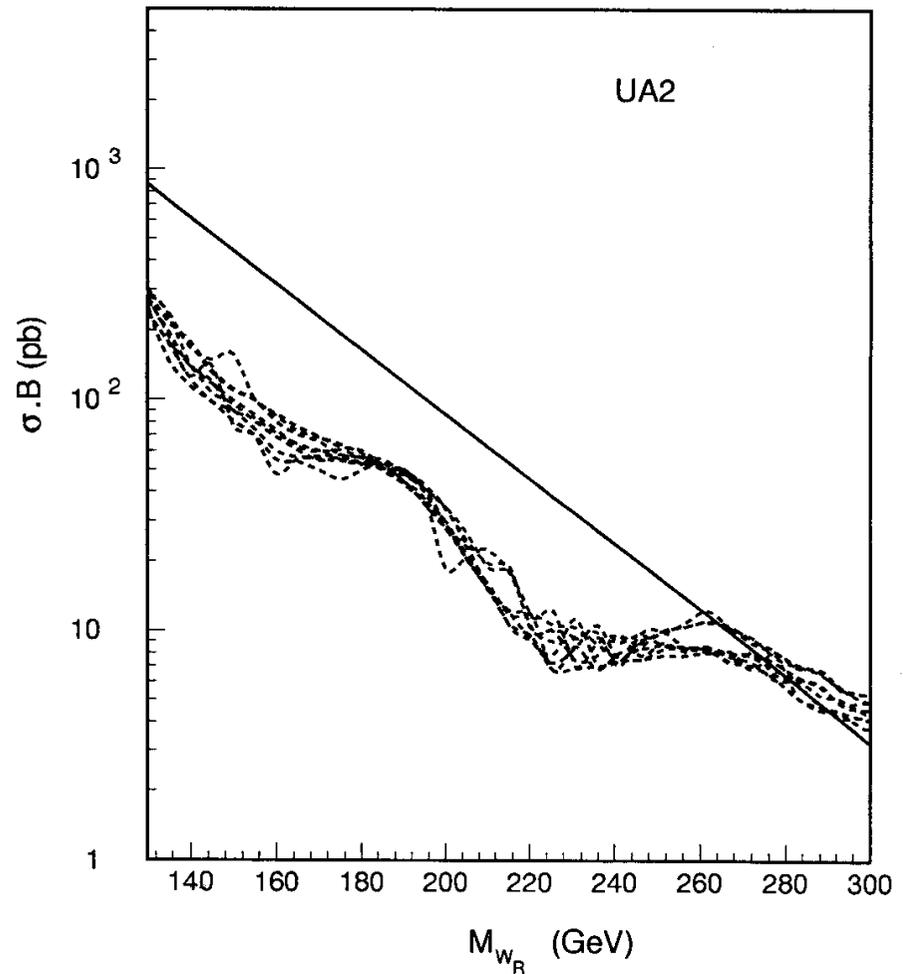
suppressed by $1/16\pi^2$

$$\sigma(p\bar{p} \rightarrow \tilde{\pi}) \simeq 21 \text{ pb}$$

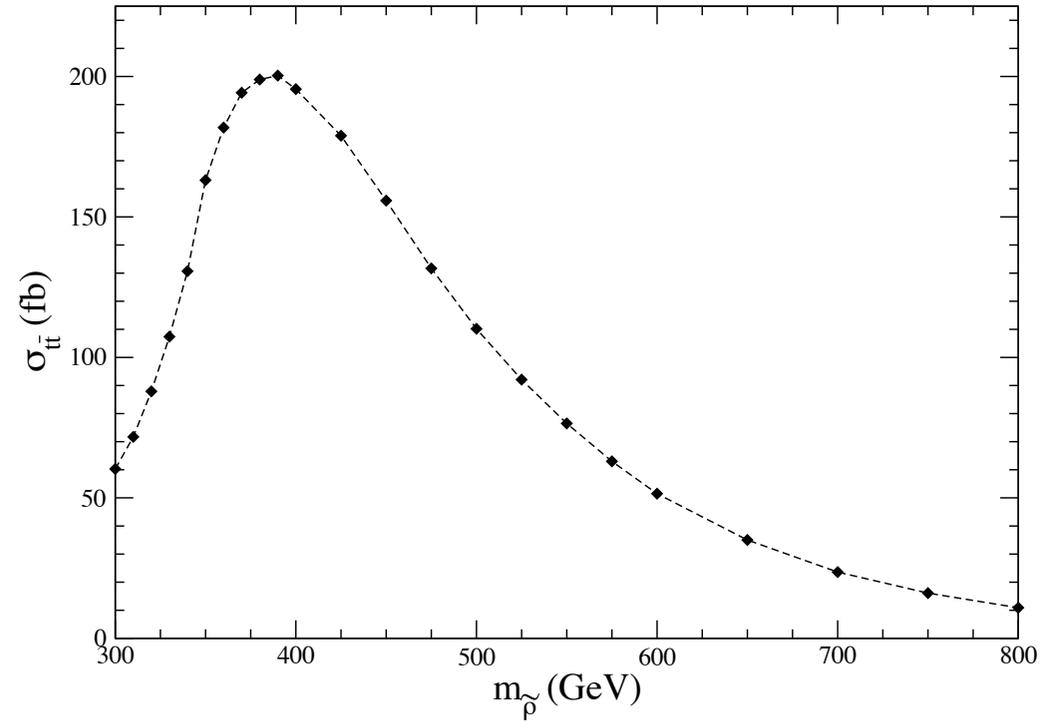
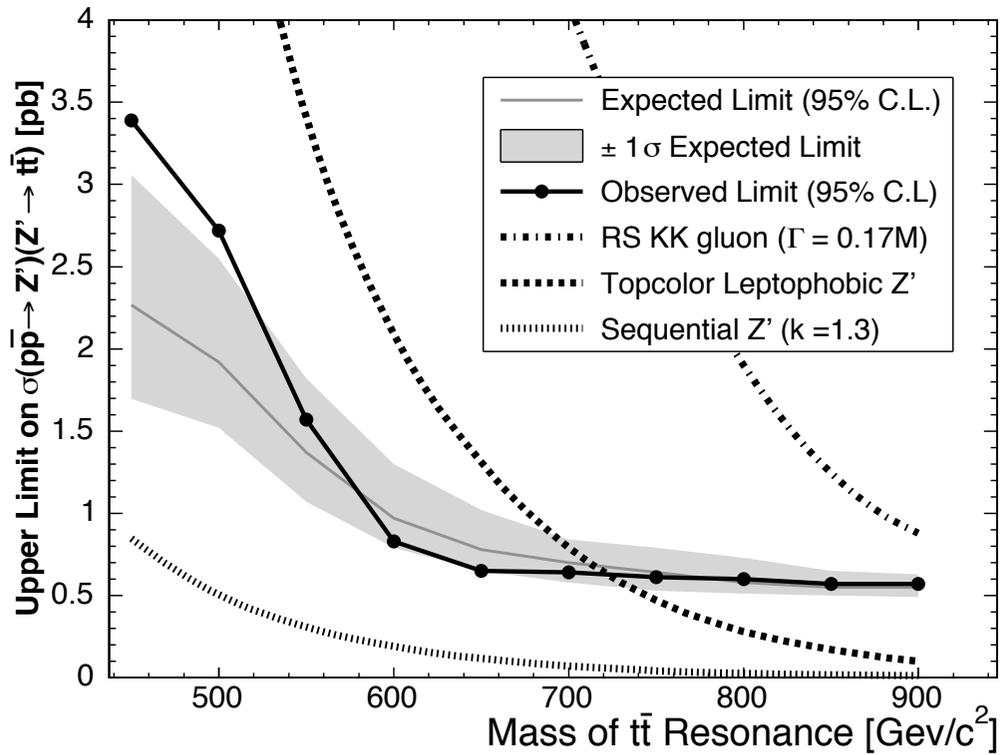
for $m_{\tilde{\pi}} = 100 \text{ GeV}$
 $\sqrt{s} = 630 \text{ GeV}$

$$\sigma(p\bar{p} \rightarrow \tilde{\pi}) \simeq 4.8 \text{ pb}$$

for $m_{\tilde{\pi}} = 250 \text{ GeV}$
 $\sqrt{s} = 1.8 \text{ TeV}$



Resonance searches in $t\text{-}\bar{t}$ pairs

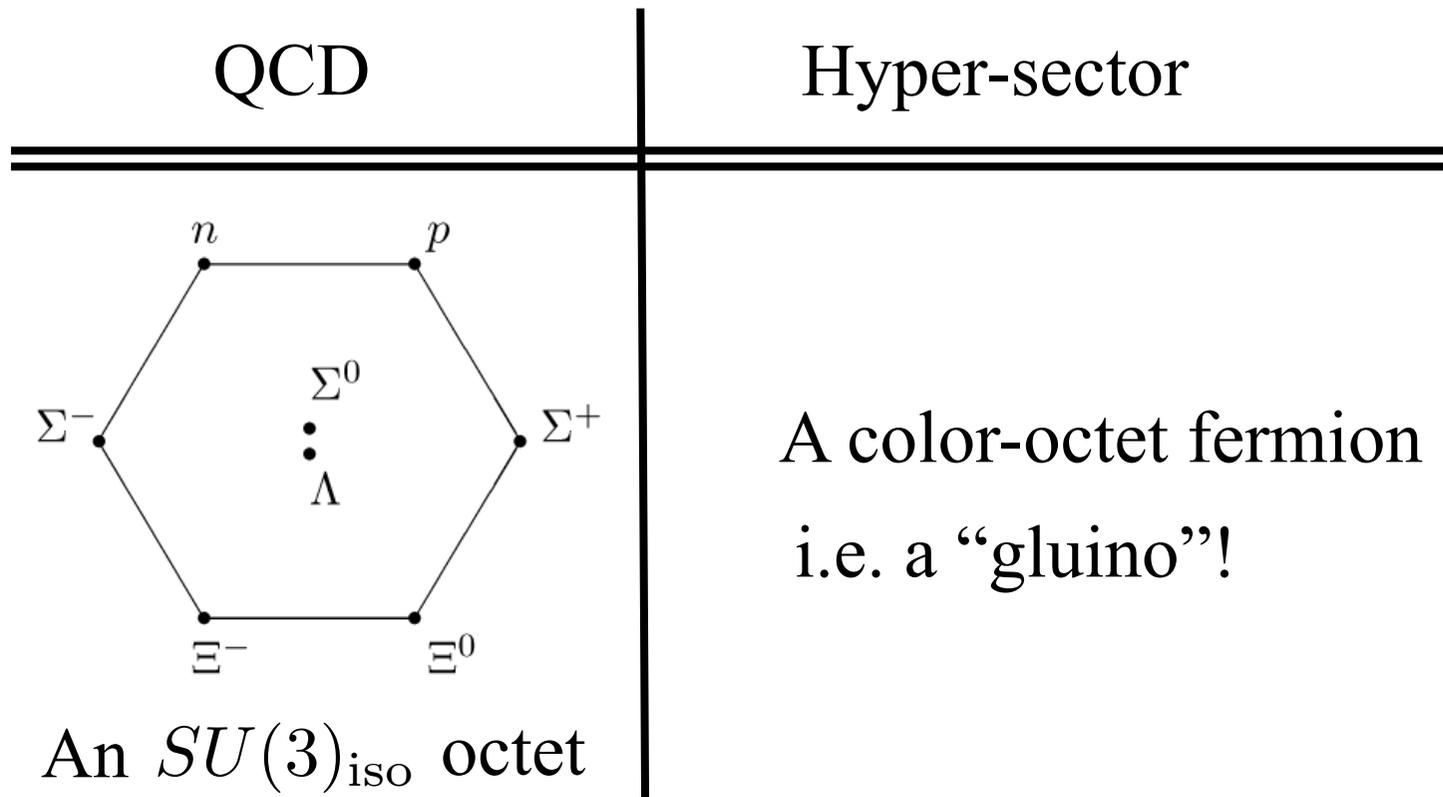


Way below the bound!

Long-lived “hyper-baryons”

Accidental $U(1)_{\text{hyp-B}}$ at renormalizable level.

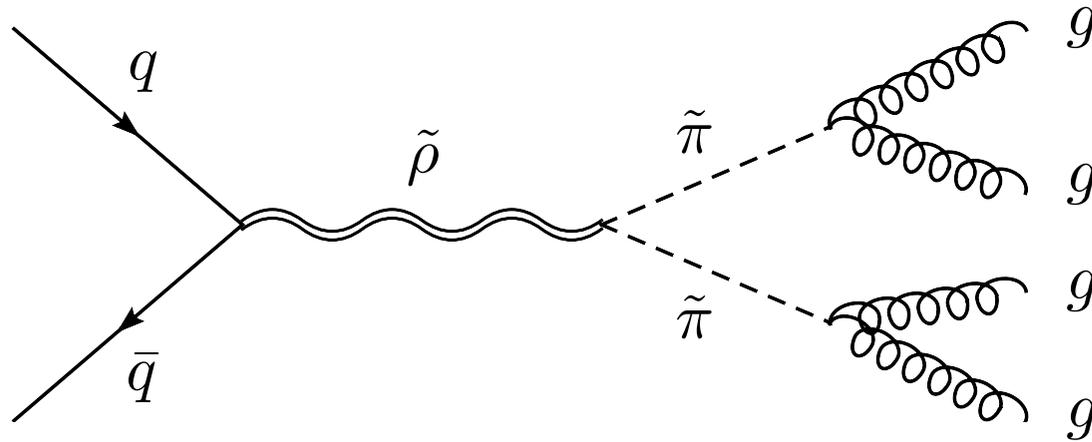
\implies Lightest hyper-baryon **naturally long-lived!**



Long-lived gluino searches $\implies m_{\tilde{g}} \gtrsim 100 \text{ GeV}$

Discovery Potential at Tevatron

Signal:

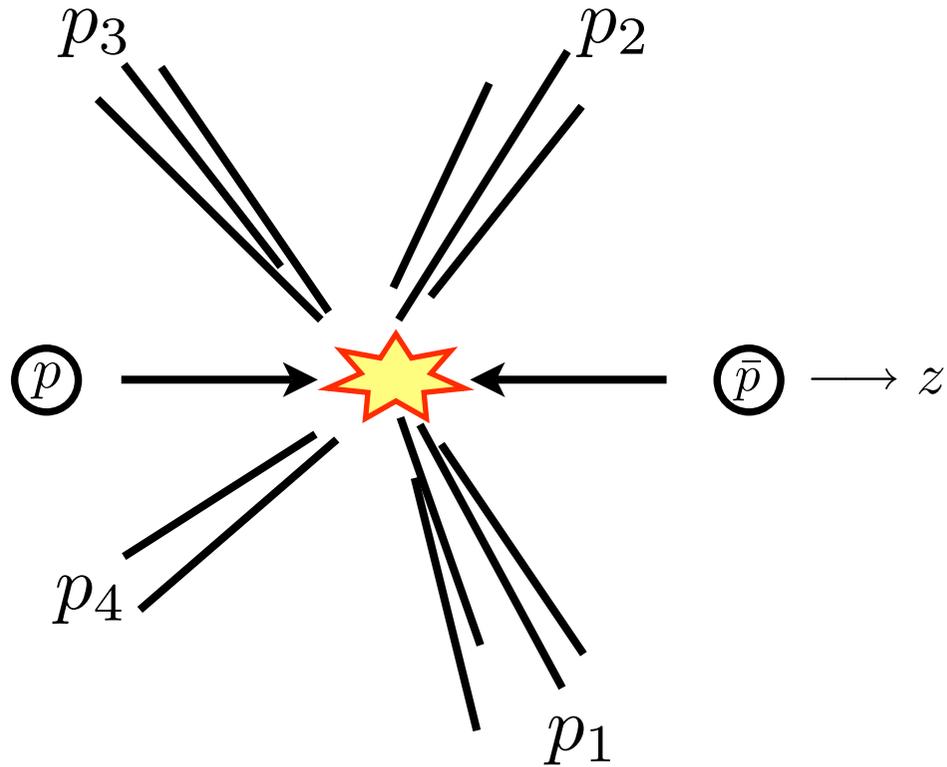


A resonance in 4j at $m_{\tilde{\rho}}$

A pair of 2j resonances at $m_{\tilde{\pi}}$

Background: *No features.*
No scales.

Case study for $m_{\tilde{\rho}} = 350 \text{ GeV}$ $m_{\tilde{\pi}} = 100 \text{ GeV}$



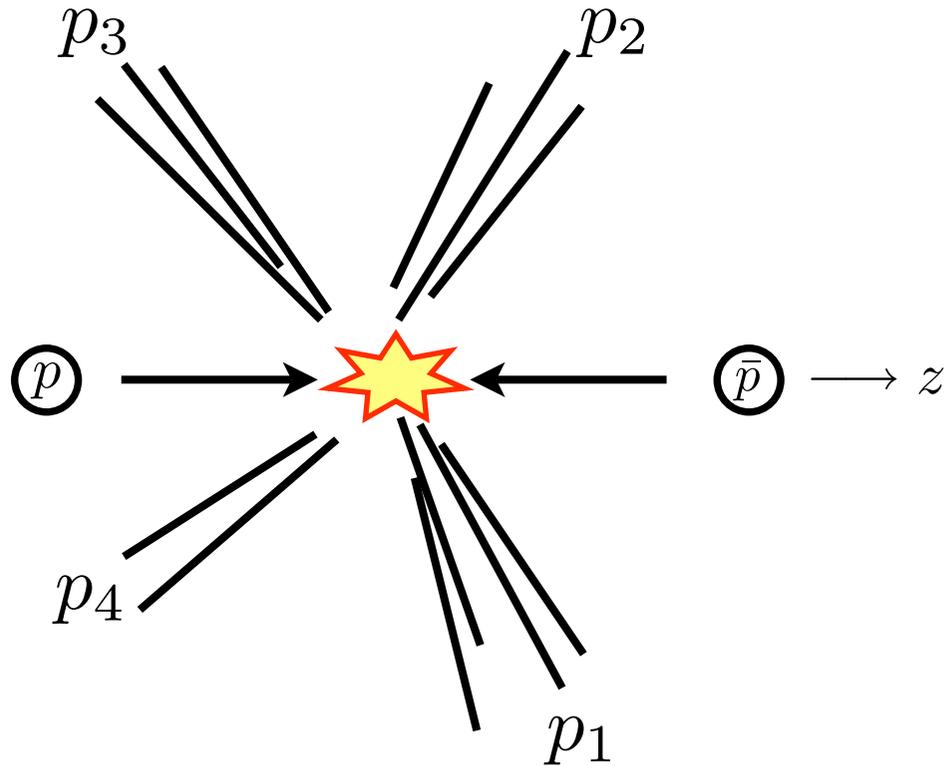
* For events to be written on tape,

$$\text{Max}\{p_{T1}, p_{T2}, p_{T3}, p_{T4}\} > 120 \text{ GeV}$$

$$(p_T \equiv \sqrt{p_x^2 + p_y^2})$$

(CDF single-jet trigger = 100 GeV)

Case study for $m_{\tilde{\rho}} = 350 \text{ GeV}$ $m_{\tilde{\pi}} = 100 \text{ GeV}$



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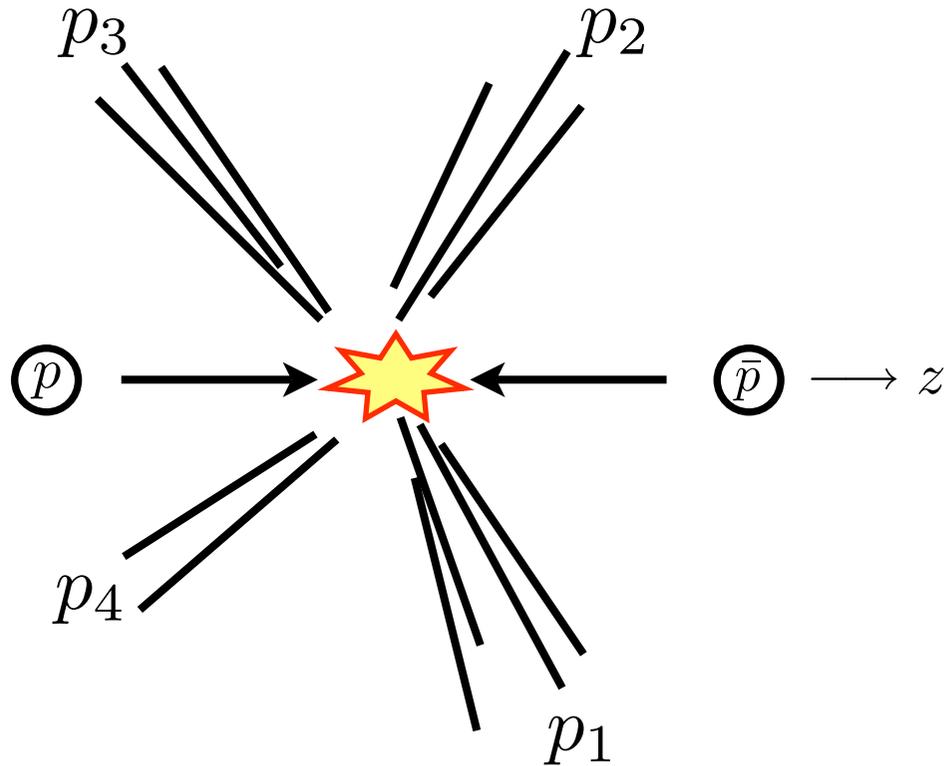
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(CDF single-jet trigger = 100 GeV)

* p_{Ti} of background tend to be hierarchical, so

$$p_{Ti} > 40 \text{ GeV} \quad \text{for *all* jets}$$

Case study for $m_{\tilde{\rho}} = 350 \text{ GeV}$ $m_{\tilde{\pi}} = 100 \text{ GeV}$



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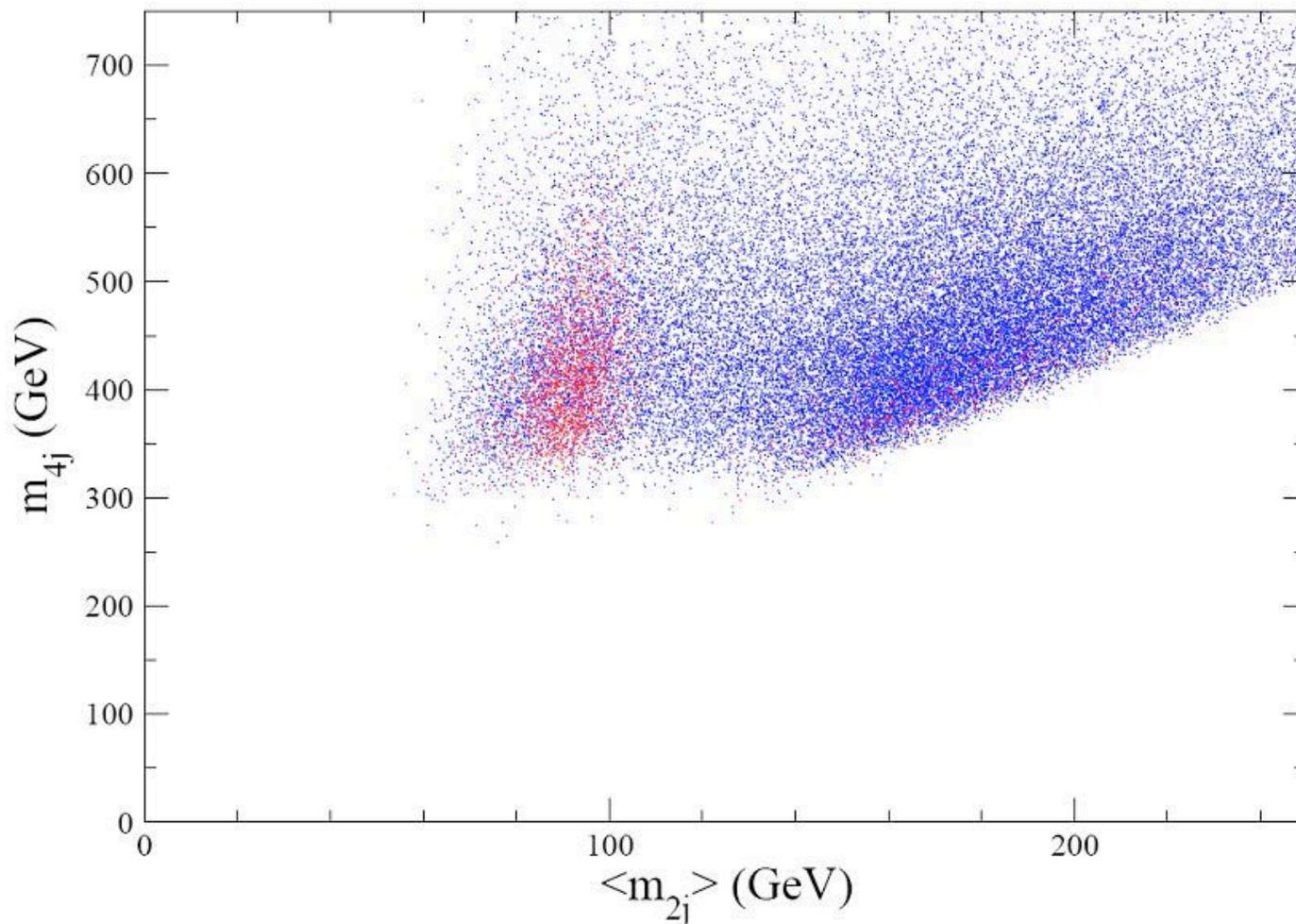
Observables to pick out signal features:

$$m_{4j}^2 \equiv (p_1 + p_2 + p_3 + p_4)^2$$

$$\langle m_{2j} \rangle \equiv (m_{ij} + m_{kl})/2 \quad |m_{ij} - m_{kl}| < 25 \text{ GeV}$$

$$(m_{ij}^2 \equiv (p_i + p_j)^2)$$

The Results



Signal (1 fb^{-1})

Background
(2 fb^{-1})

$m_{\tilde{\rho}} = 350 \text{ GeV}$

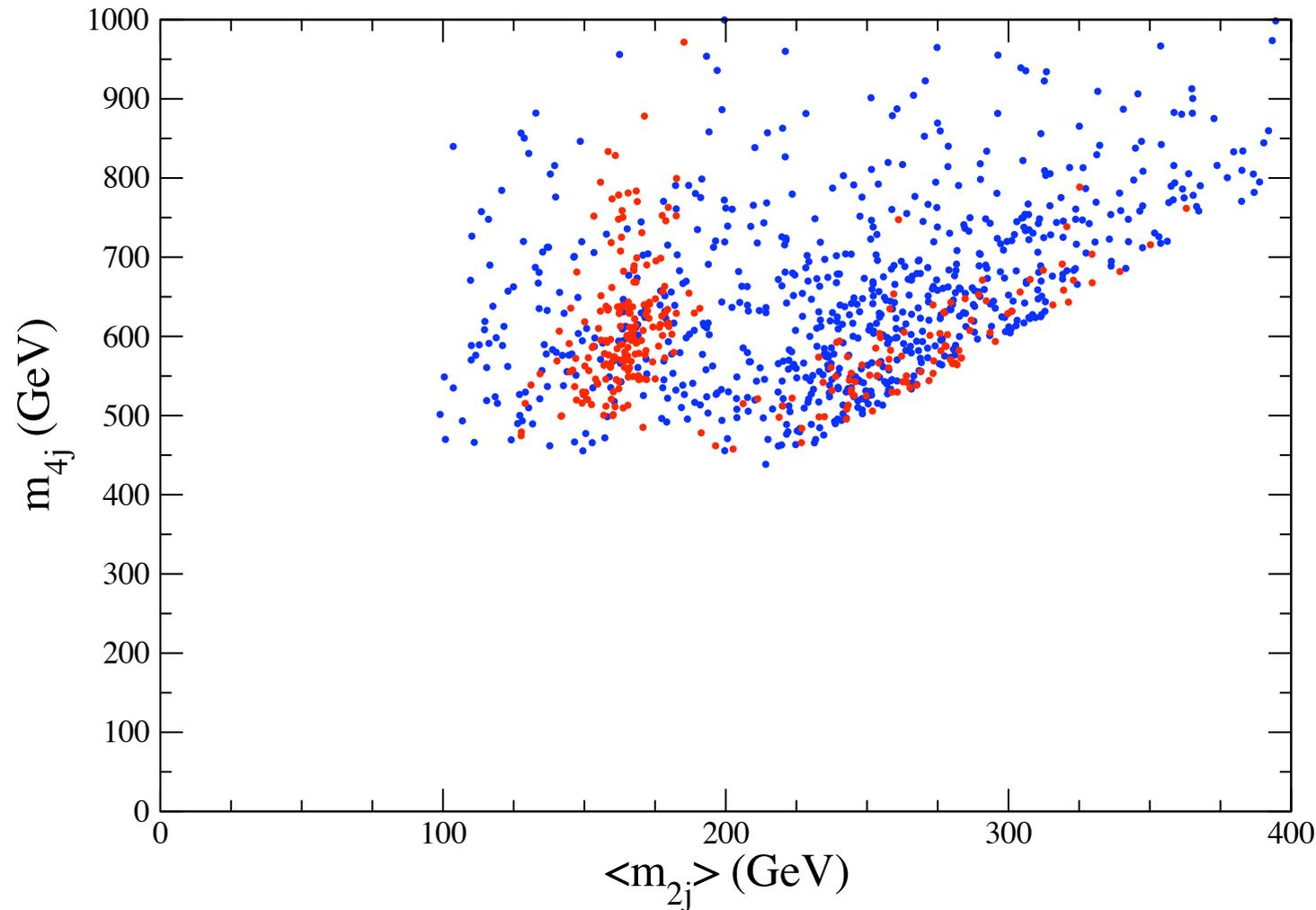
$m_{\tilde{\pi}} = 100 \text{ GeV}$

Signal : 2.7 pb passing cuts

Background: 21 pb passing cuts

$$S/\sqrt{B} = 32 !$$

The Results



Signal ($1 fb^{-1}$)

Background
($2 fb^{-1}$)

$$m_{\tilde{\rho}} = 600 \text{ GeV}$$

$$m_{\tilde{\pi}} = 180 \text{ GeV}$$

Signal : **0.27 pb** passing cuts

Background: **0.38 pb** passing cuts

$$S/\sqrt{B} = \mathbf{17 !}$$

Conclusions

- * Colorons can easily appear beyond the SM
- * Colorons naturally **decay to four jets** via two intermediate scalars
- * The coloron can be as light as **a few hundred GeV**
- * A simple set of cuts can reveal colorons with high signal significance at Tevatron, **possibly in existing data!**
- * At the LHC, such light colorons are difficult to find due to much larger background and higher triggers