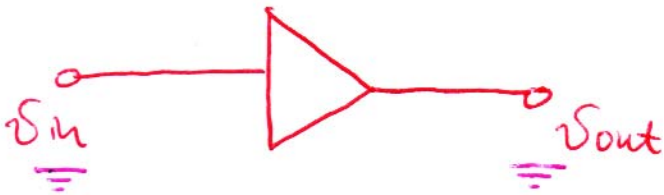


Lecture 4Amplifiers

- another basic building block (analog)
- inside quite complex (many transistors, etc.) but operationally simple; use like another element similar to R, L, C, etc.
- many applications
  - boost power in a signal
  - active filters with complex freq. response

SymbolCharacteristics

## ① Gain

$$G = \frac{v_{out}}{v_{in}}$$

voltage gain; other gain types e.g. current may be equally important

decibels

$$G_{dB} = 10 \log_{10} \frac{P_{out}}{P_{in}}$$

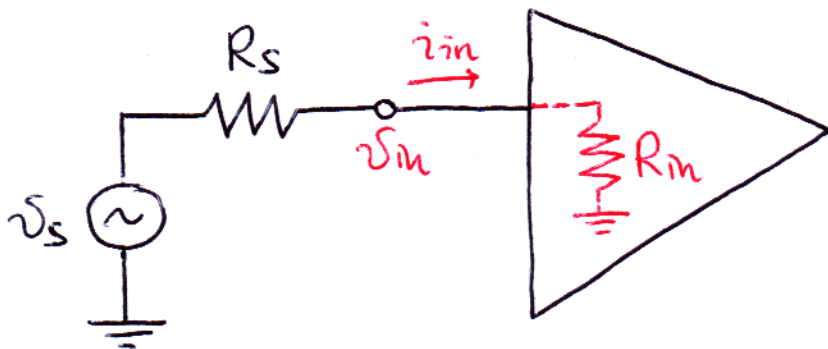
Since  $P \propto V^2 \Rightarrow \text{dB} = 20 \log_{10} \frac{V_{\text{out}}}{V_{\text{in}}}$  ②

$$G_{\text{dB}} = 20 \log_{10} \left( \frac{V_{\text{out}}}{V_{\text{in}}} \right) = 20 \log_{10} G$$

Q: why dB? A: add gain in dB for successive stages

| $G = V_{\text{out}} / V_{\text{in}}$ | $G_{\text{dB}}$ |
|--------------------------------------|-----------------|
| 1                                    | 0 dB            |
| $\sqrt{2}$                           | +3 dB           |
| 2                                    | +6 dB           |
| 10                                   | +20 dB          |
| $\frac{1}{10}$                       | -20 dB          |

② Input resistance (impedance)



$$R_{\text{in}} = \frac{v_{\text{in}}}{i_{\text{in}}} (= \text{const})$$

Q: what input impedance is ideal? A: depends.

If maximizing power transfer:  $P_{\text{in}} = v_{\text{in}} \cdot i_{\text{in}}$

$$i_{\text{in}} = \frac{v_s}{R_s + R_{\text{in}}}; \quad v_{\text{in}} = R_{\text{in}} \cdot i_{\text{in}} \Rightarrow P_{\text{in}} = v_s^2 \frac{R_{\text{in}}}{(R_s + R_{\text{in}})^2}$$

$$P_{\text{in}} (R_{\text{in}} = 0) \rightarrow 0$$

$$P_{\text{in}} (R_{\text{in}} \rightarrow \infty) \rightarrow 0$$

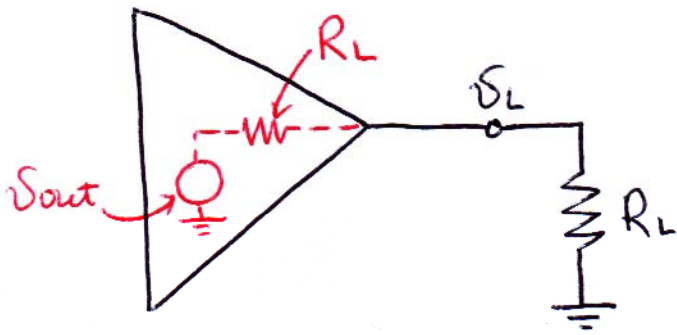
$P_{\text{in}}$  is max when  $R_{\text{in}} = R_s$

If maximizing input current:  $R_{in} = 0$  ( $P_s$  is max) ③

If maximizing input voltage:  $R_{in} \rightarrow \infty$  ( $P_s \sim 0$ )

$R_{in} = \text{large}$  is most common for amplifiers of small signals

③ Output impedance (resistance)



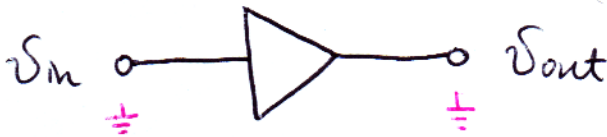
$$V_L = V_{out} \frac{R_L}{R_L + R_{out}}$$

if  $R_{out} \ll R_L, \Rightarrow V_L \approx V_{out}$

Need  $R_{out} = \text{small}$  when driving large power loads

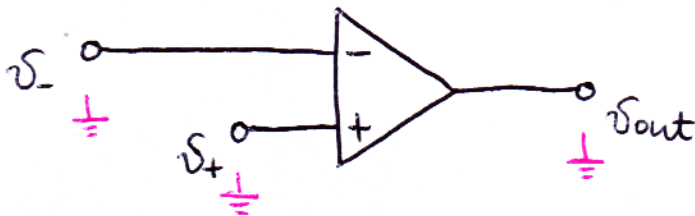
Input types

a) single input



$$V_{out} = G \cdot V_{in}$$

b) differential



$$V_{out} = G(V_+ - V_-) + G_{cm} \frac{V_+ + V_-}{2}$$

$G$  = differential gain

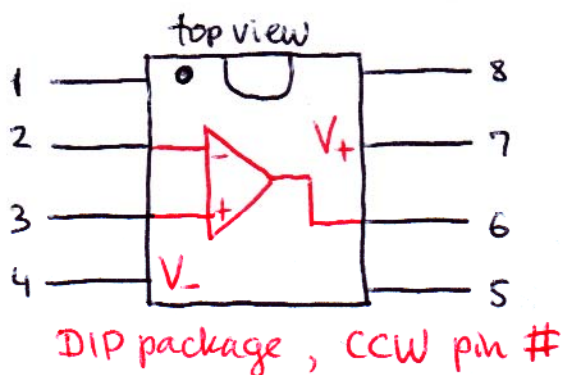
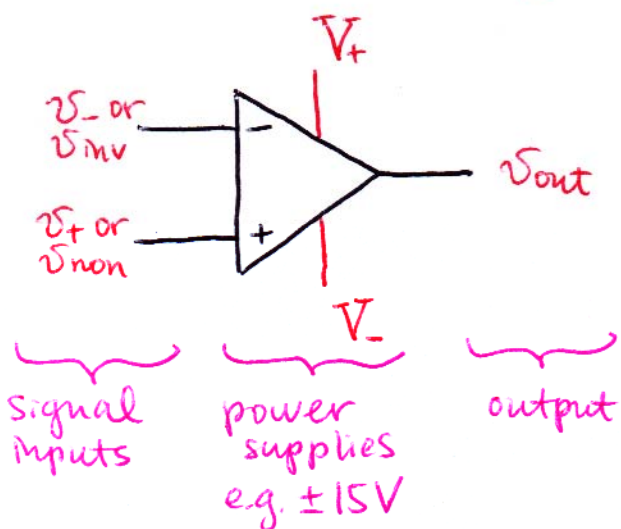
Common mode gain: for  $V_+ = V_- = V_{cm}$ ,  $G_{cm} = \frac{V_{out}}{V_{cm}}$

CMRR =  $\frac{G}{G_{cm}} \gg 1$  for a good diff. amp.  
(usually in dB)

# Operational amplifier (op-amp)

(4)

- standard IC diff. amplifier, widely used in analog
- "operational" b/c it was used in analog computers (i.e. volt. is a math variable, can perform operations such as integration, different., sum, log, exp, etc.)

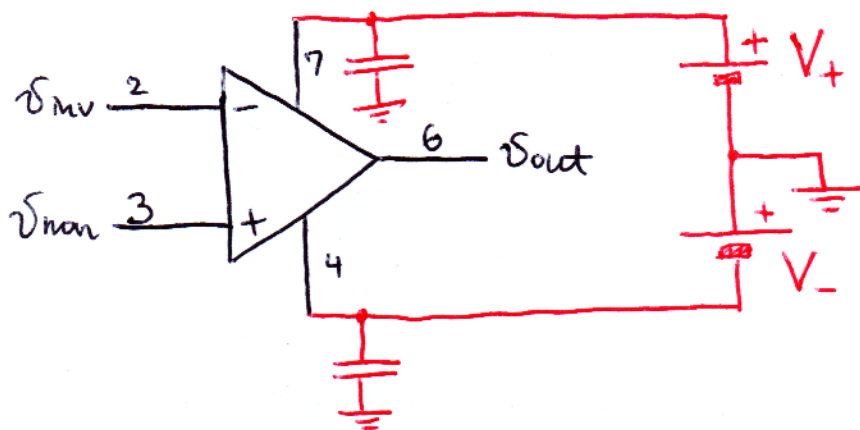


741 and 3140 op-amps used in the lab  
legacy, can use NTE 7144 instead

## Manufacturer spec sheets

- everything you need to know about an IC
- see PDF's on the course web-site / books in the lab

## Powering op-amp



- need 2 power supplies
- 2 bypass caps (0.01-0.1  $\mu$ F)
- long wires can act as antennas, bypass caps block hi-freq. noise
- usually don't draw all that